



**JARAMOGI OGINGA ODINGA UNIVERSITY OF SCIENCE AND  
TECHNOLOGY**

**UNIVERSITY EXAMINATION FOR THE DEGREE OF BACHELOR IN  
EDUCATION SCIENCE WITH IT**

**MAIN  
REGULAR**

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**COURSE CODE: SPB 9322**

**COURSE TITLE: INTRODUCTION TO SOLID STATE PHYSICS**

**EXAM VENUE:**

**STREAM: BACHELOR OF EDUCATION**

**DATE:**

**EXAM SESSION:**

**TIME: 2:00HRS**

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- 1. Instructions: Answer question 1 (Compulsory) in Section A and ANY other 2 questions in Section B.**
  - 2. Answer Question 1 (compulsory) and ANY other 2 questions**
  - 3. Candidates are advised not to write on the question paper.**
  - 4. Candidates must hand in their answer booklets to the invigilator while in the examination room.**
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## QUESTION 1 (30 MARKS)

a. Define the following terminologies

- I. Phonon [2mks]
  - II. Bravais Lattice [2mks]
  - III. Coordination Number [2mks]
  - IV. Weigner-Seitz cell [2mks]
- b) State the **Dulong-Petit Law** for crystalline matter [2mks]
- c) Determine the Miller Indices of a plane which is parallel to y-axis and cuts intercepts of 3 and  $\frac{1}{4}$  along x and z axes respectively [4mks]
- d) Explain the following phenomena
- i. The energy of a neutron is so much smaller than that of an electron in radiation beams but it is employed in crystal diffraction [2 mks]
  - ii. Light beam cannot be used in the analysis of crystal structure [2 mks]
  - iii. Neutrons are more useful than the proton in structure analysis [2 mks]
- e) Calculate the total number of atoms that are present in a body centered cubic cell. Show your working [4 mks]
- f) Give the difference between crystalline and amorphous crystals [4 mks]
- g) Define a unit cell [2 mks]
- h) A current of  $2 \times 10^{-7} \text{A}$  is flowing in a certain PN junction at room temperature when a large reverse bias voltage is applied. Calculate the current when a forward voltage of 0.2 V is applied across the junction [4 mks]
- i) An FCC unit cell contains 4 atoms, show that the Packing Ratio (PR) is given by 0.74 [4mks]
- j) The Debye temperature  $\theta$  for iron is known to be 360 K. Calculate  $\nu_m$ , the maximum frequency [4mks]

## QUESTION 2 (20MARKS)

- a) Discuss any **Two types of defects** in a single crystal [6 mks]
- b) Describe how the following create defects in crystals;

- I. Thermal vibration [4 mks]
  - II. Impurities [4 mks]
- c) Discuss the role of defects in electrical properties of a crystalline solid [6 mks]

### **QUESTION 3 (20MARKS)**

- a) Write down the definitions and formulae that describes the thermal conductivity in solids [5mks]
- b) Identify and discuss the excitations that carry the heat current [5mks]
- c) Sketch a graph of thermal conductivity as a function of temperature for a metal [4mks]
- d) Identify the characteristic temperature dependence at high and low temperatures and describe the dominant physical effects in the two regions [6mks]

### **QUESTION 4 (20 MARKS)**

The density of copper is  $8.96 \text{ gm/cm}^3$ , and its atomic weight is  $63.5 \text{ gm/mole}$ .

- a) Calculate the Fermi energy for copper. Assume  $q=1$  and give your answer in eV [5 mks]
- b) What is the corresponding electron velocity? (Assume that the electrons in copper are non-relativistic) [5 mks]
- c) At what temperature would the characteristic thermal energy ( $k_B T$ , where  $k_B$  is Boltzman constant and  $T$  is Kelvin temperature) equal the Fermi energy for copper? [5 mks]
- d) Calculate degeneracy pressure of copper, in the electron gas model [5 mks]

### **QUESTION 5 (20 MARKS)**

- a. Compare the specific heat per mole of a monoatomic and a diatomic gas at constant volume. Use appropriate equations to explain your answer. [5mks]
- b. Calculate the specific heat capacity of a monoatomic crystalline solid [6mks]

c. Debye's model of solids gives the expression for specific heat  $C_v = 9N_0k \frac{1}{x^3} \int_0^x \frac{\sigma^4 e^\sigma}{(e^\sigma - 1)^2} dE$

where  $\sigma = \frac{h\nu}{kT}$ ,  $x = \frac{h\nu_m}{kT}$  and  $\theta_D = \frac{h\nu_m}{k}$  is the Debye's characteristic temperature. Show that

i. At high temperatures, Debye's model gives Dulong Petit law [6mks]

ii. At low temperatures it gives  $\theta_D = \frac{h\nu_m}{k}$   $C_v \propto T^3$  in agreement with the experiment [3mks]