

JARAMOGI OGINGA ODINGA UNIVERSITY OF SCIENCE AND TECHNOLOGY
SCHOOL OF MATHIMATICS AND ACTURIAL SCIENCE
UNIVERSITY EXAMINATION FOR DEGREE IN PUBLIC HEALTH AND COMMUNITY
HEALTH
SPECIAL RESIT 2 2020/2021 ACADEMIC YEAR
Mathematics I (SMA3111):

INSTRUCTIONS:

- 1) Answer question ONE and any other TWO questions.
- 2) Candidates are advised not to write on the question paper.
- 3) Candidates must hand in their answer booklets to the invigilator while in the examination room.

QUESTION ONE (30 MARKS)

- a) Define the following as used in set theory
- i) Proper subset
 - ii) Complement of a set
- b) Given that $\cos \theta = \frac{1}{4}$, find without using tables $\sec^2 \theta$ and $\tan \theta$
- c) Briefly explain the meaning of functions as a special type of real relation (4mks)
- d) The 6th term of an arithmetic progression is 17 and 13th term is 38. Determine the 19th term (4mks)
- e) Simplify by rationalizing the denominator $\frac{3}{\sqrt{5}+\sqrt{3}}$ (3mks)
- f) Ocholla deposited ksh4500 in a bank which paid compound interest of 12% semi-annually. Calculate the amount after 3 years (4mks)
- g) In how many ways can 6 girls arrange themselves around a circular top table (4mks)
- i. State remainder theorem
 - ii. Use remainder theorem to find the factors of $x^3 - 3x^2 + 6x + 4 = 0$ (4mks)

QUESTION TWO

- a) Expand $\left(X - \frac{1}{2}\right)^7$ (4mks)
- b) Find the inverse of the function
 - i. $y = 2x + 1$ (2mks)
 - ii. Solve for x in $\log(xy) + \log(x + 1) = 2 \log(x + 2)$ (5mks)
- c) In how many ways can a committee consisting of 4 men and 3 women be chosen from 8 men and 6 women (4mks)
- d) Determine the validity of $\tan^2 \theta - \sin^2 \theta = \sin^2 \theta \sec^2 \theta$ (4mks)

QUESTION THREE

- a) From the following grouped frequency distribution calculate

Class	3-7	8-12	13-17	18-22	23-27	28-32
Frequency	15	13	27	29	10	13

- i. Arithmetic mean
 - ii. Mode
 - iii. Medium (10mks)
- b) Let A $\{1,2,3,4\}$ and $\{0,3,6,8,12,15\}$ Consider a function $f(x)=x^2 - 1 \in A$. Then
 - i. Show the arrow diagram to represent the mapping
 - ii. Represent the mapping in roster form
 - iii. Draw the arrow diagram to represent the mapping
 - iv. Write the domain, co-domain and range of the mapping (10mks).

QUESTION FOUR

- a) Evaluate $4a^2bc^3 - 2ac$ given: $a=2$, $b=\frac{1}{2}$, $c=1\frac{1}{2}$ (4maks)
- b) Given $A\{1,2\}$ $B\{x,y,z\}$ and $C\{3,4\}$ Find $AXBXC$ (6maks)
- c) Solve the equation $X^p2=12$ given that $X \geq 2$ (4maks)
- d) Using examples define
- i) domain
 - ii) range (4maks)
- e) Simplify $\sqrt{1000}$ (2maks)

QUESTION FIVE

- a) Given that A,B and C are subsets of the universal set U, each of the following defined as
- $U=\{X: 2 \leq X < 12\}$
 $P=\{X: 3 < X < 6\}$
 $Q=\{X: 2 < X \leq 5\}$ $U=\{9 < X < 12\}$
 $R=\{X: 4 \leq X \leq 8\}$
- List the members of U, P, Q, R and find
- i) $(PUR) \cup R$
 - ii) $P \cup (Q \cap R)$
 - iii) $P \cap (Q \cup R)$ (10maks)
- b) i) Solve for x in $x = \log_3 9$
- ii) Use a Venn diagram to illustrate disjoint sets (3maks)
- ii) Simplify $\frac{x^2y^3 + xy^2}{xy}$ (3maks)
- iv) Solve the equation $3\tan^2 x - 4 \tan x - 4 = 0$ (4maks)