JARAMOGI OGINGA ODINGA UNIVERSITY OF SCIENCE AND TECHNOLOGY

SCHOOL OF HEALTH SCIENCES
UNIVERSITY EXAMINATION FOR DEGREE OF MASTER OF SCIENCE IN MSC
PUBLIC HEALTH, EPIDEMIOLOGY AND DISEASE CONTROL
$1^{\text {st }}$ YEAR $2^{\text {nd }}$ SEMESTER 2018/2019 ACADEMIC YEAR
KISII CAMPUS

COURSE CODE: HES 5122
COURSE TITLE: BIOSTATISTICS FOR EPIDEMIOLOGIC METHODS
EXAM VENUE:
STREAM: (MSc. In Biostatistics and
Epidemiology; MSc. In Public Health, Epidemiology and Disease Control )
DATE:
EXAM SESSION:
TIME: 3.00 HOURS

## Instructions:

1. Answer any three questions.
2. Candidates are advised not to write on the question paper.
3. Candidates must hand in their answer booklets to the invigilator while in the examination room.

## QEUSTION ONE (20 MARKS)

a) In a random sample of 200 couples of bearing ages, it is found that 120 have adopted family planning method. In another random sample of 300 married couples of children bearing ages in rural areas, it is found that 150 have adopted family planning method. Do you think that the proportion of adopter couples in rural areas is significantly longer than proportion of adopter couples in the two samples together?
(4 marks)
b) A randomly selected group of patients are investigated and classified according to their smoking habit and heart problems. The number of patients in each class is shown below.

| Smoking habit | Heart problem |  | Total |
| :--- | :--- | :--- | :--- |
|  | Yes | No |  |
| Yes | 55 | 15 | 70 |
| No | 10 | 25 | 35 |
| Total | 65 | 40 | 105 |

c) On a group of anaemic patients, an iron preparation was administered and haemoglobin levels of the patients before and after therapy were noted and are provided below. It is desired to find out whether there is a significant change in the haemoglobin level of the group after the therapy at $\alpha=0.05$ level of significance.
(6 marks)
Hb level in gm\%

| Patient <br> number | Before <br> therapy | After <br> therapy |
| :--- | :--- | :--- |
| 1 | 5.6 | 10.2 |
| 2 | 4.8 | 9.4 |
| 3 | 6.5 | 11.0 |
| 4 | 7.5 | 7.5 |
| 5 | 4.5 | 7.5 |
| 6 | 3.5 | 6.0 |
| 7 | 6.7 | 8.0 |
| 8 | 6.2 | 9.6 |
| 9 | 5.6 | 10.0 |
| 10 | 4.4 | 8.4 |
| 11 | 7.5 | 8.0 |
| 12 | 8.0 | 8.0 |

d) The data below shows the haemoglobin levels (in $\mathrm{g} /$ decilitre) for patients with three sickle cell disease.

| Sickle cell <br> type | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Hbss | 7.2 | 7.7 | 8.1 | 8.3 | 8.5 | 8.6 | 8.7 | 9.1 | 9.1 | 9.8 | 10.3 |
| Hbs/B-that | 8.1 | 9.2 | 10 | 10.4 | 10.4 | 10.9 | 11.1 | 11.9 | 12 | 12.1 |  |
| Hbsc | 10.7 | 11.3 | 11.5 | 11.6 | 11.7 | 11.8 | 12 | 12.3 | 13.3 | 138 |  |

(i) Obtain the ANOVA table for these data and use it to test at $5 \%$ whether there is significance difference in mean haemoglobin levels across the groups. (6 marks)

## QUESTION TWO (20 Marks)

The following is a summary of data presented by Refrigeration Company. The company had insisted to determine whether there was a relationship between the optimum Lot size of refrigeration replacement parts ( x ) and labour hours ( y ) required to produce the Lot.

Summary:
$\mathrm{n}=25 ; \sum_{i=1}^{n} x_{i}=1750 ; \sum_{i=1}^{n} y_{i}=7807 ; \sum_{i=1}^{n} x_{i} y_{i}-n \bar{x} \bar{y}=70670 ;$
$\sum_{i=1}^{n}\left(x_{i}-\bar{x}\right)^{2}=19800 ; \sum_{i=1}^{n}\left(y_{i}-\hat{y}\right)^{2}=54825$
i) Obtain the regression parameter estimates
ii) Obtain a $95 \%$ confidence interval estimate for $\beta_{1}$
iii) Test the hypothesis $H_{0}: \beta_{1}=0$ vs $H_{1}: \beta_{1} \neq 0$ at $5 \%$ level of significance ( 3 marks)
iv) Obtain a $90 \%$ confidence interval estimate for the mean of the response when $x_{h}$ $=120$
v) Construct the ANOVA table

## QUESTION THREE

a) Suppose a logistic regression model for the association between smoking and death is presented as follows:

$$
\begin{aligned}
\log \left(\frac{p}{1-p}\right)= & -7.5869+0.5522(C U R S M O K E 1)+0.1181(A G E 1)+0.7759(\text { MALE }) \\
& +0.6386(H I G H B P 1)+1.5834(\text { DIABETES } 1)
\end{aligned}
$$

i. Using the above model, what is the odds ratio of death for a 50 year old man who does not smoke, has high blood pressure and does not have diabetes (i.e. AGE1=50, CURSMOKE1=0, MALE=1, HIGHBP1=0, and DIABETES=0)?
(3 marks)
ii. Does the answer to the previous question change if different values are set for AG1, MALE, HIGHBP1, and DIABETES?
iii. What is the model's estimate for the odds ratio of death for a diabetic (DIABETS1=1) compared to a non-diabetic (DIABETES1=0), controlling for MALE, HIGHBP1 and CURSMOKER1?
iv. What is the model's estimate for the odds ratio of death for a smoker
(CURSMOKER1=1) compared to a non-smoker (CURSMOKER1=0), controlling for MALE, HIGHBP1 and DIABETES?
(3 marks)
b) The following model contain the same risk factors listed in the previous model except that it does not include age
i. What is this model's estimate for the odds ratio of death for a smoker
(CURSMOKER1=1) compared to a non-smoker (CURSMOKER1=0), controlling for MALE, HIGHBP1, and DIABETES1
ii. Based on these two models, what conclusion can you reach about AGE1 being a confounder, when estimating the effect of smoking on the odds of dying, once you
iii. Interpret the model intercepts when the other factors are held constant?

## QUESTION FOUR (20 Marks)

Screening for prostate cancer in men is a controversial topic. One of the most common screening mechanisms is the PSA test (prostate antigen test). In a meta-analysis, mistry and cable (2003) report that the sensitivity of the PSA test in $72.1 \%$ and the specificity is $93.2 \%$. In Kenya, it is estimated that $16.1 \%$ of men will have prostate cancer of some part in their life (Kenya cancer society, 2012). Assume that prevalence of prostate cancer among men ages 75 and older in $16.1 \%$. We examine the properties of the PSA screening test in men ages 75 and older, using the sensitivity and specificity value above.
a) Differentiate between sensitivity and specificity tests
b) Illustrate why screening test is necessary in clinical epidemiology giving details on a good screening program?
c) What is the probability of false negative test result?
d) What is the probability of false positive result?
e) What is the probability that a randomly selected man who is 75 years or older DOES NOT have prostate cancer, given that his PSA screening was positive?

## QUESTION FIVE (20 Marks)

In a collective, the information on new born babies from two separate hospitals, the following information are recorded.

| Hospital-1 |  |  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Gestation period $x_{1 j}$ | 270 | 260 | 250 | 265 | 266 | 262 |
| Birth- <br> weight, $y_{1 j}($ in $l b)$ | 7.0 | 6.5 | 6.2 | 7.0 | 6.1 | 5.8 |
|  |  |  |  |  |  |  |
| Hospital-2 |  |  |  |  |  |  |
| Gestation period $x_{2 j}$ | 263 | 265 | 270 | 255 | 260 | 260 |
| Birth- <br> weight, $y_{2 j}($ in $l b)$ | 6.3 | 7.0 | 7.1 | 5.5 | 6.5 | 6.8 |

Test whether the influence of gestation period on both weight of babies in two hospitals are similar at $\propto=0.05$ levels of significance?

