

JARAMOGI OGINGA ODINGA UNIVERSITY OF SCIENCE AND TECHNOLOGY SCHOOL OF MATHEMATICS AND ACTURIAL SCIENCE UNIVERSITY EXAMINATION FOR DEGREE OF B.sc. (CUMMUNITY HEALTH AND PUBLIC HEALTH)

1ST YEAR SEMESTER 2018/2019 ACADEMIC YEAR

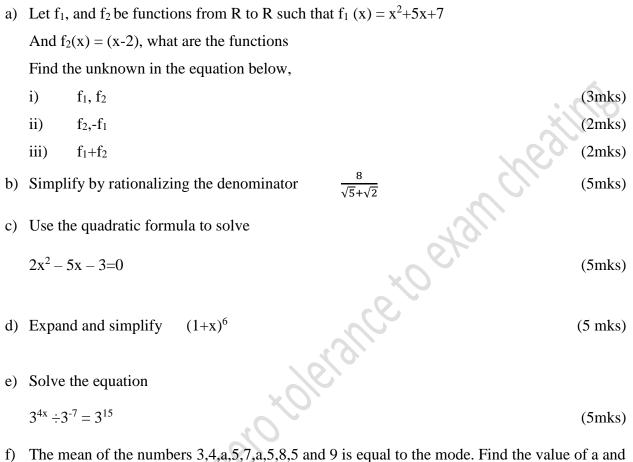
KISUMU LEARNING CENTRE

COURSE CODE	:	SMA 2111
COURSE TITLE	:	MATHEMATICS I
EXAM VENUE	:	
STREAM PH/CH	:	
DATE	:	14/08/19
TIME	:	1 ¹ / ₂ HRS EXAM SESSION : 9.00 – 11.00am

Instructions

- 1. Answer question 1 (compulsory) and ANY other two questions
- 2. Candidates are advised not to write on the question paper.
- 3. Candidates must hand in their answer booklets to the invigilator while in the examination room.

QUESTION ONE (COMPULSORY) (30 MARKS)



f) The mean of the numbers 3,4,a,5,7,a,5,8,5 and 9 is equal to the mode. Find the value of a and hence the median of the data (3mks)

QUESTION TWO (20 MARKS)

Let U = $\{1, 2, 3, 4, 5, 6, 7, 8, 9\}$

a) A $= \{ 2,3,4,5,6,7,8 \}$ $= \{ 3,4,\ldots,8 \}$ C $= \{ 1,2,3,4, \} \text{ and}$ D $= \{ 4,6,7,9 \}$

Find

(i)
$$(A \cap B) \cap (C \cap D)$$
(3mks)ii) $(A \cap B) \cap (C \cap D)$ (4mks)

iii) $(B \cap D)^c$

(3mks)

- b) Draw a standard venn diagram to show the region corresponding to the given expression $(A \cap C^1) \cup B^1$ (6mks)
- c) What is the power set of $\{0, 1, 2\}$?

QUESTION 3 (20 MARKS)

- a) A customer deposited Shs. 14,000 in a savings account. Use step by step method, to find the accumulated amount after one year if interest was paid at 12% p.a. compounded quarterly (8mks)
- b) Juma invested a certain amount of money in a bank which paid 12% p.a. simple interest. After 5 years his total savings were Shs. 5,600, determine the amount of money he invested (8mks)
- c) Statistics from a town in Kenya indicate that 160,000 people are HIV positive. It has also been established that the rate of its spread in this town is 8% p.a. How many people will be carriers in 6 years time?

QUESTION 4 (20 MARKS)

Evaluate	
a) P (7, 3)	(3mks)
a) P (7, 3) b) C (15,7)	(3mks)
c) In how many ways can a committee consisti	ng of 2 faculty members and 3 students be
formed if 6 faculty members and 12 students at	re eligible to serve in the committee

(6mks)

d) Solve triange PQR in which

P=10.4 cm Q = 25.6 cm and $< R=88^{0}$ (8mks)

QUESTION 5 (20 MARKS)

The examination marks in a mathematics test for 20 first year diploma students were as follows;

43	38	39	37	33
31	28	35	27	32
29	30	34	44	24
32	34	41	36	38

Using class interval of 3, that is 28-30, 33

Make a frequency distribution table and from it

- a) Determine the modal class
- b) Estimate
 - i) The mean
 - ii) The median

etoekanningetimbe (12mks)

c) Draw a bar graph to represent the information

(8mks)



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PUBLIC HEALTH)

1ST YEAR SEMESTER 2017 /2018 ACADEMIC YEAR

KISUMU LEARNING CENTRE

COURSE CODE	:	SMA 211
COURSE TITLE	:	MATHEMATICS II
EXAM VENUE	:	STREAM DIP CHD
DATE	:	×O'

TIME 2HRS :

EXAM SESSION : 9:00am – 11:00am

Instructions

- 4. Answer question 1 (compulsory) and ANY other two questions
- 5. Candidates are advised not to write on the question paper.
- 6. Candidates must hand in their answer booklets to the invigilator while in the examination room.

SECTION A:

QUESTION ONE COMPULSORY (30 MARKS)

- a) Differentiate $y = \frac{6x^3 + 14x^2 - 12x}{3x-2}$ (5mks) b) Use matrix to solve 2x+3y = 600X+2y=350 (5mks) c) Evaluate $\int \frac{2x+3}{x^2+3x+4}$ (5mks) d) Find $\lim_{x \to 1}$ $\lim_{n\to\infty}$ п
- e) Given the co-ordinates of A and B as (4,2) and (8,2) respectively, find the equation of the perpendiculars bisector of AB (5mks)
- f) Given that;

$$B = \begin{bmatrix} 4 & 1 & 0 \\ 2 & -3 & 1 \\ 0 & 2 & 2 \end{bmatrix} \text{ and } M = \begin{bmatrix} 6 & 3 & 0 \\ 0 & 1 - & 2 \\ -3 & 3 & 1 \end{bmatrix}$$

Find 1/3 M – 1/2 L

SECTION B

Answer Any Two Questions from This Section

- A Triangle has vertices A (2,5), B(1-2) and C(-5,1). Determine;
- a) The equation of the line BC (5mks)
- b) The equation of the perpendicular line from A to BC (5mks)

- c) Find the equation of a line whose x-intercept is -3 and y=intercept is 6 (5mks)
- d) Draw the graph of a line passing through (O, -4) and has a graduant of 2 (5mks)

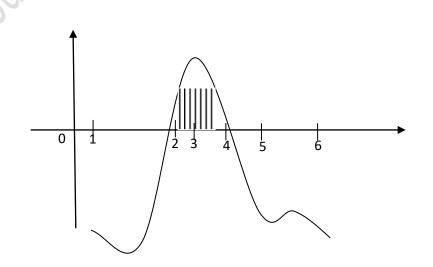
QUESTION 3 (20 MARKS)

Consider the matrix given below,

$A = \begin{bmatrix} \\ \end{bmatrix}$	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	
i)	Find the co-factors of matrix A	(2mks)
ii)	Find the determinant of the matrix	(2mks)
iii)	Determine the adjoint of the matrix A	(4mks)
iv)	Hence, find the inverse of matrix A	(2mks)
v)	Using the matrix in (iv) above solve the system of equations below x+y = -z = 7 x+2y-2z=12 -2z+y+z=-3	; (10mks)

QUESTION 3 (20 MARKS)

a) Calculate the shaded area in the figure below



- i) Find the expression of displacement in terms of time (4mks)
- ii) Find the;a) Distance moved by the particle during the fifth second (4mks)
 - b) Distance moved by the particle between t=1 and t=3 (4mks)

QUESTIONS 5 (20 MARKS)

a) Evaluate $\int 6(x^2-12x+10)dx$

(6mks)

(8 mks)

 b) As blood moves from the heart through the major arteries out to the capillaries and back through the veins, the systolic blood pressure continuously drops. Consider a person whose systolic blood pressure P(in millimeters of mercury) is given by

 $P = \frac{25 + t^2 + 125}{t^2 + 1}$

c) Find the derivative of ;

$$f(x) = In$$
 (Type equation here)

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